

# The PSOATransRun 1.0 System for Object-Relational Reasoning in RuleML

*The 6th Atlantic Workshop on Semantics and Services  
(AWoSS 2015)  
December 9, 2015*

Gen Zou

Faculty of Computer Science,  
University of New Brunswick, Fredericton, Canada

# Outline

- 1 Introduction
- 2 Normalization of PSOA Source
- 3 Mapping the Normalized PSOA Source to Prolog
- 4 Conclusions

# Outline

- 1 Introduction
- 2 Normalization of PSOA Source
- 3 Mapping the Normalized PSOA Source to Prolog
- 4 Conclusions

- Uses **positional-slotted object-applicative (psoa)** terms, permitting the application of a predicate (acting as a relation) to be [in an *oidless/oidful* dimension] without or with an Object Identifier (OID) – typed by the predicate (acting as a class) – and the predicate’s arguments to be [in an orthogonal dimension] *positional, slotted, or combined*

General case (multi-tuple), where “#” means “member of”:

$\circ \# f([t_{1,1} \dots t_{1,n_1}] \dots [t_{m,1} \dots t_{m,n_m}] \ p_1 \rightarrow v_1 \dots p_k \rightarrow v_k)$

Special cases (optional **single-tuple brackets**):

Relationship:  $f([t_1 \dots t_n])$

Shelf:  $\circ \# f([t_1 \dots t_n])$

Frame:  $\circ \# f(\ p_1 \rightarrow v_1 \dots p_k \rightarrow v_k)$

Shelfframe:  $\circ \# f([t_1 \dots t_n] \ p_1 \rightarrow v_1 \dots p_k \rightarrow v_k)$

- For an **oidless psoa term**, i.e. one without a ‘user’ OID, *objectification* will introduce a ‘system’-generated OID
- PsOA terms without class typing are expressed by  $\text{Top}$ , specifying the root of class hierarchy

# PSOA RuleML – Presentation Syntax (PS)

Integrates W3C RIF for relationships and frames (see above)

As in RIF PS:

- “*oid* is member of *class*” written as “*oid*#*class*” (see above)
- “*class*<sub>1</sub> is subclass of *class*<sub>2</sub>” written as “*class*<sub>1</sub>## *class*<sub>2</sub>”
- Local constants prefixed by underscore (‘\_’); variables prefixed by question mark (‘?’)

# Introduction – PSOATransRun 1.0

- **Efficient** reasoning in PSOA RuleML enabled
  - All forms of psOA terms, including relationships, shelves, pairships, and (shel)frames
  - (OID-)head-existential rules
  - Equality in the body, restricted to unification and external-function evaluation
  - Subclass formulas for 'ABox' reasoning only
  - Built-in arithmetic functions
- **Released** in Java source form and as an executable jar file. Downloadable from: [http://wiki.ruleml.org/index.php/PSOA\\_RuleML#PSOATransRun](http://wiki.ruleml.org/index.php/PSOA_RuleML#PSOATransRun)

# Introduction – PSOATransRun 1.0

- Includes a composition of translator [PSOA2Prolog](#) and well-known [XSB Prolog](#) engine
  - PSOA2Prolog translates Knowledge Bases (KBs) and queries in PSOA RuleML presentation syntax into a subset of the logic programming language [ISO Prolog](#)
  - XSB Prolog engine provides efficient query answering over translated Prolog KB
- PSOA2Prolog performs a multi-step source-to-source normalization followed by a mapping to the pure (Horn) subset of ISO Prolog

# Outline

- 1 Introduction
- 2 Normalization of PSOA Source**
- 3 Mapping the Normalized PSOA Source to Prolog
- 4 Conclusions



# Normalization

- 1 Objectification
- 2 Skolemization
- 3 Slotribution and Tupribution
- 4 Flattening
- 5 Rule Splitting

## Static vs. Dynamic Objectification – Preview

**KB:**

```
_hire(_Ernie _Kate)
```

**Query:**

```
?O#_hire(?X ?Y)
```

**Static:** Generate fresh OID constant from ‘\_1’, ‘\_2’, ...  
(transform above **KB** ground atom, use **query** unchanged):

```
_1#_hire(_Ernie _Kate)
```

**Dynamic:** Virtualize with ‘\_oidcons’ function and equality ‘=’  
(keep above **KB** unchanged, transform **query** atom):

```
And(_hire(?X ?Y) ?O = _oidcons(_hire ?X ?Y))
```

## Objectification – From Static to Static/Dynamic

- Static: generate OIDs for all of the KB's oidless atoms
- Static/Dynamic (novel refinement)
  - Leave unchanged as many of the KB's oidless atoms as possible, instead dynamically constructing virtual OIDs as query variable bindings
  - Partition the set of KB predicates into two disjoint subsets: *non-relational* (at least one occurrence in a multi-tuple, oidful, or slotted atom, or in a subclass formula) and *relational* (no such occurrence)
  - Statically generate OIDs only for the KB's oidless psOA atoms with non-relational predicates

## Static/Dynamic Objectification

- Perform OID virtualization for queries with OID variables corresponding to the KB's psOA atoms with relational predicates
  - Query atoms using the KB's relational predicates with OID variables are rewritten via equalities that unify an OID variable with a (Skolem-like) OID-constructor ('\_oidcons') function application
  - Allow users to pose queries with OIDs regardless of whether the underlying KB clauses have OIDs or not
  - Make maximum use of the underlying Prolog engine for efficient inference on KB clauses with relational predicates

# Dynamic Objectification by OID Virtualization

- Leave all **KB atoms** with relational predicates unchanged
- For each **query atom**  $\psi$  using a relational KB predicate  $f$ :
  - If  $\psi$  is a relationship, keep it unchanged
  - If  $\psi$  has a **non-variable** OID or a slot, rewrite it to explicit falsity, here encoded as  $Or()$
  - If  $\psi$  has an OID **variable** and  $m$  tuples, being of the form  $?O\#f([t_{1,1} \dots t_{1,n_1}] \dots [t_{m,1} \dots t_{m,n_m}])$ , equivalent to a tupribution-like conjunction, copying  $?O\#f$ ,  $And(?O\#f(t_{1,1} \dots t_{1,n_1}) \dots ?O\#f(t_{m,1} \dots t_{m,n_m}))$ , rewrite it to a relational conjunction using equality

$And(f(t_{1,1} \dots t_{1,n_1}) ?O = \_oidcons(f t_{1,1} \dots t_{1,n_1})$   
     $\dots$   
     $f(t_{m,1} \dots t_{m,n_m}) ?O = \_oidcons(f t_{m,1} \dots t_{m,n_m}))$

# Skolemization

- Specialized FOL Skolemization is employed to eliminate existentials in rule conclusions or facts, which are not allowed in Prolog
- Replace each existential formula `Exists ?X (σ)` in a rule conclusion or a fact with  $\sigma[?X/_skolemk(?v_1 \dots ?v_m)]$ , where each occurrence of `?X` in  $\sigma$  becomes a Skolem function `_skolemk` applied to all universally quantified variables `?v1 ... ?vm` from the clause's quantifier prefix
- **New skolem function name** `_skolemk` ( $k = 1, 2, \dots$ ) generated for each existential variable

# Slotribution and Tupribution

- Rewrite each psOA atom

$$\text{o\#f}([t_{1,1} \dots t_{1,n_1}] \dots [t_{m,1} \dots t_{m,n_m}]) \\ p_1 \rightarrow v_1 \dots p_k \rightarrow v_k)$$

into a conjunction

And(o#f

$$\text{o\#Top}(t_{1,1} \dots t_{1,n_1}) \dots \text{o\#Top}(t_{m,1} \dots t_{m,n_m}) \\ \text{o\#Top}(p_1 \rightarrow v_1) \dots \text{o\#Top}(p_k \rightarrow v_k))$$

# Flattening

- Extract each embedded interpreted function application as a separate equality
- Each atomic formula  $\varphi$  (in a rule premise or a query) that embeds an external function application  $\psi$ , which is not on the top level of an equality, is replaced with  $\text{And} (?i=\psi \ \varphi[\psi/?i])$ , where  $?i$  is the first variable in  $?1, ?2, \dots$  that does not occur in the enclosing rule



# Rule Splitting

- Remove conjunctions in rule conclusions, which are not supported in Prolog
- Each rule with an  $n$ -ary conjunction in the conclusion

Forall ?v<sub>1</sub> ... ?v<sub>m</sub> (And( $\varphi_1$  ...  $\varphi_n$ ) :-  $\varphi'$ )  
is split into  $n$  rules

Forall ?v<sub>1</sub> ... ?v<sub>m</sub> ( $\varphi_1$  :-  $\varphi'$ )

...

Forall ?v<sub>1</sub> ... ?v<sub>m</sub> ( $\varphi_n$  :-  $\varphi'$ )

# Outline

- 1 Introduction
- 2 Normalization of PSOA Source
- 3 Mapping the Normalized PSOA Source to Prolog**
- 4 Conclusions

## Simple Terms

Use recursive mapping function denoted by  $\rho_{psoa}$

- Constants

- If  $c$  is a number,  $\rho_{psoa}(c)$  is the corresponding Prolog number
- If  $c$  is an arithmetic built-in,  $\rho_{psoa}(c)$  is the corresponding Prolog built-in
- Otherwise,  $\rho_{psoa}(c)$  is the single-quoted version of  $c$

- Variables

For a '?'-prefixed variable  $v$ ,  $\rho_{psoa}(v)$  replaces '?' with the upper-case letter 'Q' (Question mark)

# Central PSOA Constructs

## Mapping from PSOA/PS constructs to Prolog constructs

(To accommodate the relationships preserved by dynamic objectification, the 4th-row mapping of  $f(t_1 \dots t_k)$  has to be extended from functions to predicates  $f$ )

PSOA/PS Constructs	Prolog Constructs
$o \# \text{Top}(t_1 \dots t_k)$	$\text{tupterm}(\rho_{psoa}(o), \rho_{psoa}(t_1) \dots \rho_{psoa}(t_k))$
$o \# \text{Top}(p \rightarrow v)$	$\text{sloterm}(\rho_{psoa}(o), \rho_{psoa}(p), \rho_{psoa}(v))$
$o \# c()$	$\text{memterm}(\rho_{psoa}(o), \rho_{psoa}(c))$
$f(t_1 \dots t_k)$	$\rho_{psoa}(f)(\rho_{psoa}(t_1), \dots, \rho_{psoa}(t_k))$
$\text{And}(f_1 \dots f_n)$	$(\rho_{psoa}(f_1), \dots, \rho_{psoa}(f_n))$
$\text{Or}(f_1 \dots f_n)$	$(\rho_{psoa}(f_1) ; \dots ; \rho_{psoa}(f_n))$
$\text{Exists } ?v_1 \dots ?v_m(\varphi)$	$\rho_{psoa}(\varphi)$
$\text{Forall } ?v_1 \dots ?v_m(\varphi)$	$\rho_{psoa}(\varphi)$
$\varphi :- \psi$	$\rho_{psoa}(\varphi) :- \rho_{psoa}(\psi).$
$?v = \text{External}(f(t_1 \dots t_k))$	$\text{is}(\rho_{psoa}(?v), \rho_{psoa}(f)(\rho_{psoa}(t_1), \dots, \rho_{psoa}(t_k)))$
$c1 \#\# c2$	$\text{memterm}(X, \rho_{psoa}(c2)) :- \text{memterm}(X, \rho_{psoa}(c1)).$

# Outline

- 1 Introduction
- 2 Normalization of PSOA Source
- 3 Mapping the Normalized PSOA Source to Prolog
- 4 Conclusions**

## Conclusions

- **PSOATransRun 1.0** supports reasoning in **PSOA RuleML** by composing the efficient translator **PSOA2Prolog** and the efficient run-time engine **XSB Prolog**
- **PSOA2Prolog** performs a multi-step source-to-source normalization followed by a mapping to the pure (Horn) subset of ISO Prolog
- Normalization employs a novel static/dynamic approach for the objectification step, which makes optimal use of the underlying Prolog engine for efficient inference on KB clauses with relational predicates
- Future work includes adding support of other PSOA features, e.g. an expanded set of built-ins, and more detailed functionality and performance comparisons with realizations of other rule languages, e.g. **Flora-2** and **EYE**